

Scala 3 enum for a terser **Option** **Monad Algebraic Data Type**

- Explore a terser definition of the **Option Monad** that uses a **Scala 3 enum** as an **Algebraic Data Type**.
- In the process, have a tiny bit of fun with **Scala 3 enums**.
- Get a refresher on the **Functor** and **Monad** laws.
- See how easy it is to use **Scala 3 extension** methods, e.g. to add convenience methods and infix operators.

slides by



 @philip_schwarz



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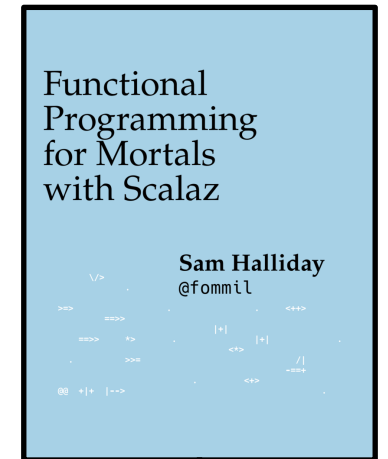
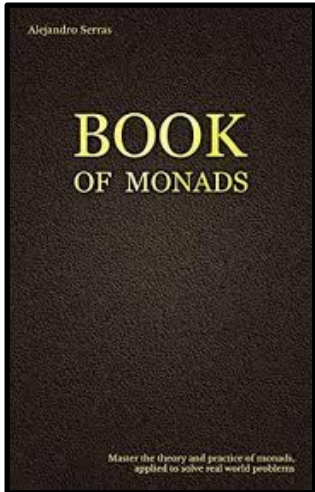
We introduce a new type, **Option**. As we mentioned earlier, this type also exists in the **Scala** standard library, but we're re-creating it here for pedagogical purposes:

```
sealed trait Option[+A]
case class Some[+A](get: A) extends Option[A]
case object None extends Option[Nothing]
```

Option is mandatory! Do not use **null** to denote that an optional value is absent. Let's have a look at how **Option** is defined:

```
sealed abstract class Option[+A] extends IterableOnce[A]
final case class Some[+A](value: A) extends Option[A]
case object None extends Option[Nothing]
```

Over the years we have all got very used to the definition of the **Option monad's Algebraic Data Type (ADT)**.



Since creating new data types is so cheap, and it is possible to work with them polymorphically, most functional languages define some notion of an **optional value**. In **Haskell** it is called **Maybe**, in **Scala** it is **Option**, ... Regardless of the language, the structure of the data type is similar:

```
data Maybe a = Nothing -- no value
             | Just a  -- holds a value
```

```
sealed abstract class Option[+A] // optional value
case object None extends Option[Nothing] // no value
case class Some[A](value: A) extends Option[A] // holds a value
```

We have already encountered **scalaz's** improvement over `scala.Option`, called **Maybe**. It is an improvement because it does not have any unsafe methods like **Option.get**, which can throw an exception, and is invariant.

It is typically used to represent when a thing may be present or not without giving any extra context as to why it may be missing.

```
sealed abstract class Maybe[A] { ... }
object Maybe {
  final case class Empty[A]() extends Maybe[A]
  final case class Just[A](a: A) extends Maybe[A]
```



With the arrival of **Scala 3** however, the definition of the **Option ADT** becomes much terser thanks to the fact that it can be implemented using the new **enum** concept .



Scala 3

3.0.0-M3-bin-20201204-e834186-NIGHTLY

Usage



Reference



Overview

New Types



Enums



Enumerations

Algebraic Data Types

Scala 3/Reference/Enums/Algebraic Data Types

Algebraic Data Types

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The `enum` concept is general enough to also support algebraic data types (ADTs) and their generalized version (GADTs). Here is an example how an `Option` type can be represented as an ADT:

```
enum Option[+T] {  
  case Some(x: T)  
  case None  
}
```



Martin Odersky


 @odersky

OK, so this is, again, cool, now we have parity with Java, but we can actually go way further. **enums can not only have value parameters, they also can have type parameters, like this.**

#1 Enums

```
enum Option[+T] {  
  case Some(x: T)  
  case None  
}
```

can have type parameters, making them algebraic data types (ADTs)

 A Tour of Scala 3 – by Martin Odersky

So you can have an **enum Option** with a **covariant** type parameter **T** and then two cases **Some** and **None**.

So that of course gives you what people call an **Algebraic Data Type, or ADT**.

Scala so far was lacking a simple way to write an ADT. What you had to do is essentially what the compiler would translate this to.



Martin Odersky

 @odersky


So the compiler would take this **ADT** that you have seen here and translate it into essentially this:

#1 Enums



```
sealed abstract class Option[+T]
object Option {
  case class Some[+T](x: T) extends Option[T]
  object Some {
    def apply[T](x: T): Option[T] = Some(x)
  }
  val None = new Option[Nothing] { ... }
}
```

compile to sealed hierarchies of case classes and objects.

 A Tour of Scala 3 – by Martin Odersky

And so far, if you wanted something like that, you would have written essentially the same thing. So **a sealed abstract class or a sealed abstract trait, Option, with a case class as one case, and as the other case, here it is a val, but otherwise you could also use a case object.**

And **that of course is completely workable, but it is kind of tedious. When Scala started, one of the main motivations, was to avoid pointless boilerplate.** So that's why **case classes** were invented, and **a lot of other innovations that just made code more pleasant to write and more compact than Java code**, the standard at the time.



 @philip_schwarz

On the next slide we have a go at adding some essential methods to this terser **enum**-based **Option ADT**.

```
enum Option[+A]:  
  case Some(a: A)  
  case None
```



`Option` is a **monad**, so we have given it a **flatMap** method and a **pure** method. In `Scala` the latter is not strictly needed, but we'll make use of it later.

Every **monad** is also a **functor**, and this is reflected in the fact that we have given `Option` a **map** method.

We gave `Option` a **fold** method, to allow us to **interpret/execute** the `Option` effect, i.e. to escape from the `Option` container, or as **John a De Goes** puts it, to **translate away** from **optionality** by providing a **default value**.

We want our `Option` to integrate with **for comprehensions** sufficiently well for our current purposes, so in addition to **map** and **flatMap** methods, we have given it a simplistic **withFilter** method that is just implemented in terms of **filter**, another pretty essential method.

There are of course many many other methods that we would normally want to add to `Option`.

```
enum Option[+A]:
  case Some(a: A)
  case None

def map[B](f: A => B): Option[B] =
  this match
    case Some(a) => Some(f(a))
    case None => None

def flatMap[B](f: A => Option[B]): Option[B] =
  this match
    case Some(a) => f(a)
    case None => None

def fold[B](ifEmpty: => B)(f: A => B) =
  this match
    case Some(a) => f(a)
    case None => ifEmpty

def filter(p: A => Boolean): Option[A] =
  this match
    case Some(a) if p(a) => Some(a)
    case _ => None

def withFilter(p: A => Boolean): Option[A] =
  filter(p)

object Option :
  def pure[A](a: A): Option[A] = Some(a)
  def none: Option[Nothing] = None

extension[A](a: A):
  def some: Option[A] = Some(a)
```



The **some** and **none** methods are just there to provide the convenience of **Cats**-like syntax for **lifting** a **pure** value into an `Option` and for referring to the **empty Option** instance.



Yes, the **some** method on the previous slide was implemented using the new **Scala 3** feature of **Extension Methods**.



Scala 3

3.0.0-M3-bin-20201204-e834186-NIGHTLY

New Types ▾

Enums ▾

Contextual Abstractions ▴

Overview

Given Instances

Using Clauses

Context Bounds

Importing Givens

Extension Methods

Scala 3/Reference/Contextual Abstractions/Extension Methods

Extension Methods

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Extension methods allow one to add methods to a type after the type is defined. Example:

```
case class Circle(x: Double, y: Double, radius: Double)

extension (c: Circle)
  def circumference: Double = c.radius * math.Pi * 2
```

Like regular methods, extension methods can be invoked with infix `.:`

```
val circle = Circle(0, 0, 1)
circle.circumference
```




On the next slide we do the following:

- See our **Option monad ADT** again
- Define a few **enumerated types** using use the **Scala 3 enum** feature.
- Add a simple program showing the **Option monad** in action.

```

enum Option[+A]:
  case Some(a: A)
  case None

def map[B](f: A => B): Option[B] =
  this match
    case Some(a) => Some(f(a))
    case None => None

def flatMap[B](f: A => Option[B]): Option[B] =
  this match
    case Some(a) => f(a)
    case None => None

def fold[B](zero: => B)(f: A => B) =
  this match
    case Some(a) => f(a)
    case None => zero

def filter(p: A => Boolean): Option[A] =
  this match
    case Some(a) if p(a) => Some(a)
    case _ => None

def withFilter(p: A => Boolean): Option[A] =
  filter(p)

object Option :
  def pure[A](a: A): Option[A] = Some(a)
  def none: Option[Nothing] = None

extension[A](a: A):
  def some: Option[A] = Some(a)

```

```

enum Greeting(val language: Language):
  override def toString: String =
    s"${enumLabel} ${language.toPreposition}"
  case Welcome extends Greeting(English)
  case Willkommen extends Greeting(German)
  case Bienvenue extends Greeting(French)
  case Bienvenido extends Greeting(Spanish)
  case Benvenuto extends Greeting(Italian)

```

```

enum Language(val toPreposition: String):
  case English extends Language("to")
  case German extends Language("nach")
  case French extends Language("à")
  case Spanish extends Language("a")
  case Italian extends Language("a")

```

```

enum Planet:
  case Mercury, Venus, Earth, Mars, Jupiter, Saturn, Neptune, Uranus, Pluto, Scala3

```

```

case class Earthling(name: String, surname: String, languages: Language*)

```

```

def greet(maybeGreeting: Option[Greeting],
          maybeEarthling: Option[Earthling],
          maybePlanet: Option[Planet]): Option[String] =

  for
    greeting <- maybeGreeting
    earthling <- maybeEarthling
    planet <- maybePlanet
    if earthling.languages contains greeting.language
  yield s"$greeting $planet ${earthling.name}!"

```

```

@main def main =

  val maybeGreeting =
    greet( maybeGreeting = Some(Welcome),
           maybeEarthling = Some(Earthling("Fred", "Smith", English, Italian)),
           maybePlanet = Some(Scala3))

  println(maybeGreeting.fold("Error: no greeting message")
           (msg => s"*** $msg ***"))

```

```

*** Welcome to Scala3 Fred! ***

```

```
def greet(maybeGreeting: Option[Greeting],
         maybeEarthling: Option[Earthling],
         maybePlanet: Option[Planet]): Option[String] =
  for
    greeting <- maybeGreeting
    earthling <- maybeEarthling
    planet <- maybePlanet
    if earthling.languages contains greeting.language
  yield s"$greeting $planet ${earthling.name}!"
```



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Below are some tests for our simple program.

```
//      Greeting      Earthling      Planet      Greeting Message
assert(greet(Some>Welcome), Some(Earthling("Fred", "Smith", English, Italian)), Some(Scala3)) == Some("Welcome to Scala3 Fred!"))
assert(greet(Some>Benvenuto), Some(Earthling("Fred", "Smith", English, Italian)), Some(Scala3)) == Some("Benvenuto a Scala3 Fred!"))
assert(greet(Some>Bienvenue), Some(Earthling("Fred", "Smith", English, Italian)), Some(Scala3)) == None
assert(greet(None, Some(Earthling("Fred", "Smith", English, Italian)), Some(Scala3)) == None
assert(greet(Some>Welcome), None, Some(Scala3)) == None
assert(greet(Some>Welcome), Some(Earthling("Fred", "Smith", English, Italian)), None) == None
```



Same again, but this time using the **some** and **none** convenience methods.

```
assert(greet>Welcome.some, Earthling("Fred", "Smith", English, Italian).some, Scala3.some) == ("Welcome to Scala3 Fred!").some)
assert(greet>Benvenuto.some, Earthling("Fred", "Smith", English, Italian).some, Scala3.some) == ("Benvenuto a Scala3 Fred!").some)
assert(greet>Bienvenue.some, Earthling("Fred", "Smith", English, Italian).some, Scala3.some) == none)
assert(greet>none, Earthling("Fred", "Smith", English, Italian).some, Scala3.some) == none)
assert(greet>Welcome.some, none, Scala3.some) == none)
assert(greet>Welcome.some, Earthling("Fred", "Smith", English, Italian).some, none) == none)
```



The remaining slides provide us with a refresher of the **functor** and **monad laws**. To do so, they use two examples of ordinary functions and three examples of **Kleisli arrows**, i.e. functions whose signature is of the form $A \Rightarrow F[B]$, for some **monad F**, which in our case is the **Option monad**.

The example functions are defined below, together with a function that uses them. While the functions are bit contrived, they do the job.

The reason why the **Kleisli arrows** are a bit more complex than would normally be expected is that since in this slide deck we are defining our own simple **Option monad**, we are not taking shortcuts that involve the standard **Scala Option**, e.g. converting a **String** to an **Int** using the **toIntOption** function available on **String**.

```
val double: Int => Int = n => 2 * n
val square: Int => Int = n => n * n
```

```
val stringToInt: String => Option[Int] = s =>
  Try { s.toInt }.fold(_ => None, Some(_))
```

```
val intToChars: Int => Option[List[Char]] = n =>
  if n < 0 then None
  else Some(n.toString.toArray.toList)
```

```
val charsToInt: Seq[Char] => Option[Int] = chars =>
  Try {
    chars.foldLeft(0){ (n, char) => 10 * n + char.toString.toInt }
  }.fold(_ => None, Some(_))
```

```
def doublePalindrome(s: String): Option[String] =
  for
    n <- stringToInt(s)
    chars <- intToChars(2 * n)
    palindrome <- charsToInt(chars ++ chars.reverse)
  yield palindrome.toString
```

```
assert( stringToInt("123") == Some(123) )
assert( stringToInt("1x3") == None )
```

```
assert( intToChars(123) == Some(List('1', '2', '3')))
assert( intToChars(0) == Some(List('0')))
assert( intToChars(-10) == None)
```

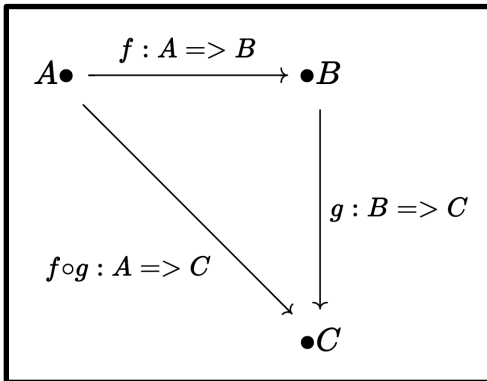
```
assert(charsToInt(List('1', '2', '3')) == Some(123) )
assert(charsToInt(List('1', 'x', '3')) == None )
```

```
assert( doublePalindrome("123") == Some("246642") )
assert( doublePalindrome("1x3") == None )
```



Since every **monad** is also a **functor**, the next slide is a reminder of the **functor** laws.

We also define a **Scala 3 extension method** to provide syntax for the infix operator for **function composition**.



```
// FUNCTOR LAWS
```

```
// identity law: ma map identity = identity(ma)
assert( (f(a) map identity) == identity(f(a)) )
assert( (a.some map identity) == identity(a.some) )
assert( (none map identity) == identity(none) )
```

```
// composition law: ma map (g ∘ h) == ma map h map g
assert( (f(a) map (g ∘ h)) == (f(a) map h map g) )
assert( (3.some map (g ∘ h)) == (3.some map h map g) )
assert( (none map (g ∘ h)) == (none map h map g) )
```

```
val f = stringToInt
val g = double
val h = square
val a = "123"
```

```
// plain function composition
extension[A,B,C](f: B => C)
  def ∘ (g: A => B): A => C =
    a => f(g(a))
```

```
def identity[A](x: A): A = x
```

```
assert( stringToInt("123") == Some(123) )
assert( stringToInt("1x3") == None )
```

```
val double: Int => Int = n => 2 * n
val square: Int => Int = n => n * n
```

```
enum Option[+A]:
  case Some(a: A)
  case None

  def map[B](f: A => B): Option[B] =
    this match
      case Some(a) => Some(f(a))
      case None => None

  ...

object Option :
  def pure[A](a: A): Option[A] = Some(a)
  def none: Option[Nothing] = None

  extension[A](a: A):
    def some: Option[A] = Some(a)
```

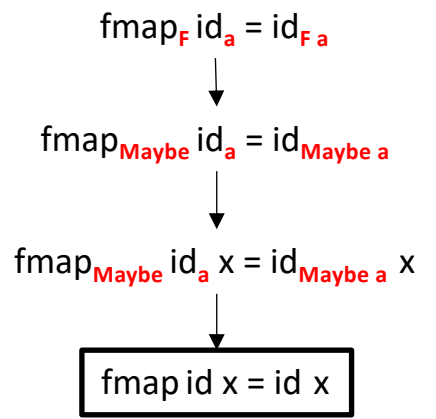
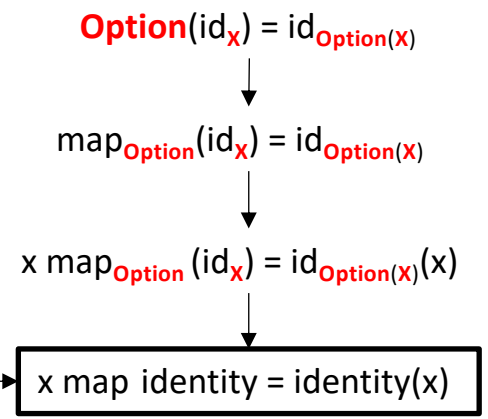
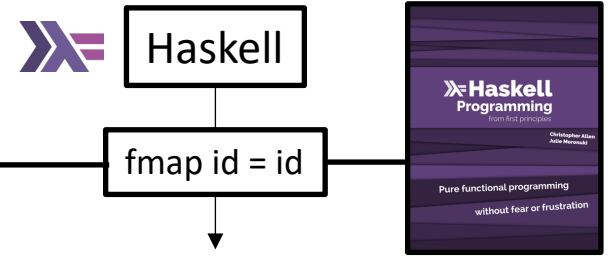
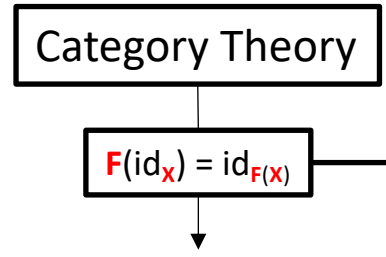
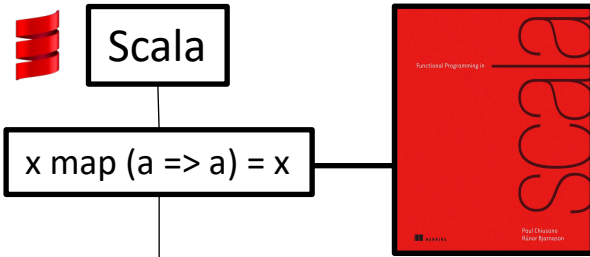


 @philip_schwarz

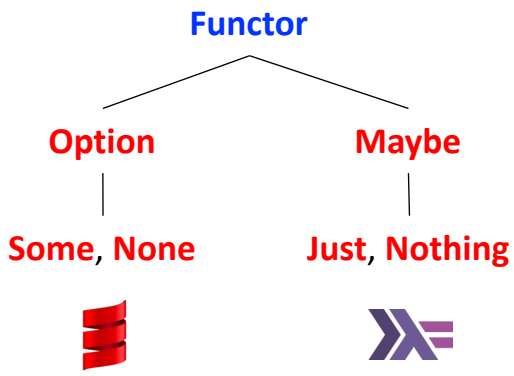
While the **functor Identity Law** is very simple, the fact that it can be formulated in slightly different ways can sometimes be a brief source of puzzlement when recalling the law.

On the next slide I have a go at recapping three different ways of formulating the law.

Functor Identity Law



```
scala> :type Option(3).map
(Int => Any) => Option[Any]
scala> val inc: Int => Int = n => n + 1
scala> Some(3) map inc
val res1: Option[Int] = Some(4)
scala> None map inc
val res2: Option[Int] = None
scala> :type identity
Any => Any
scala> identity(3)
val res3: Int = 3
scala> identity(Some(3))
val res4: Some[Int] = Some(3)
scala> (Some(3) map identity) ==
identity(Some(3))
val res10: Boolean = true
scala> (None map identity) == identity(None)
val res11: Boolean = true
```



```
> :type fmap
fmap :: Functor f => (a -> b) -> f a -> f b
> inc x = x + 1
> fmap inc (Just 3)
Just 4
> fmap inc Nothing
Nothing
> :type id
id :: a -> a
> id 3
3
> id (Just 3)
Just 3
> fmap id Just 3 == id Just 3
True
> fmap id Nothing == id Nothing
True
```




The last two slides of this deck remind us of the **monad laws**.

They also make use of **Scala 3 extension methods**, this time to provide syntax for the infix operators for **flatMap** and **Kleisli composition**.

```

// MONAD LAWS

// left identity law: pure(a) flatMap f == f(a)
assert( (pure(a) flatMap f) == f(a) )

// right identity law: ma flatMap pure == ma
assert( (f(a) flatMap pure) == f(a) )
assert( (a.some flatMap pure) == a.some )
assert( (none flatMap pure) == none )

// associativity law: ma flatMap f flatMap g = ma flatMap (a => f(a) flatMap g)
assert( ((f(a) flatMap g) flatMap h) == (f(a) flatMap (x => g(x) flatMap h)) )
assert( ((3.some flatMap g) flatMap h) == (3.some flatMap (x => g(x) flatMap h)) )
assert( ((none flatMap g) flatMap h) == (none flatMap (x => g(x) flatMap h)) )

```

```

val f = stringToInt
val g = intToChars
val h = charsToInt
val a = "123"

```

```

assert( stringToInt("123") == Some(123) )
assert( stringToInt("1x3") == None )

```

```

assert( intToChars(123) == Some(List('1', '2', '3')))
assert( intToChars(0) == Some(List('0')))
assert( intToChars(-10) == None )

```

```

assert( charsToInt(List('1', '2', '3')) == Some(123) )
assert( charsToInt(List('1', 'x', '3')) == None )

```

```

enum Option[+A]:
  case Some(a: A)
  case None
  ...

def flatMap[B](f: A => Option[B]): Option[B] =
  this match
    case Some(a) => f(a)
    case None => None
  ...

object Option :
  def pure[A](a: A): Option[A] = Some(a)
  def none: Option[Nothing] = None
  def id[A](oa: Option[A]): Option[A] = oa

extension[A](a: A):
  def some: Option[A] = Some(a)

```



The **monad laws** again, but this time using a **Haskell-style bind** operator as an alias for **flatMap**.

```
// left identity law: pure(a) flatMap f = f(a)
assert((pure(a) >>= f) = f(a))

// right identity law: ma flatMap pure = ma
assert( (f(a) >>= pure) = f(a))
assert( (3.some >>= pure) = 3.some)
assert( (none >>= pure) = none)

// associativity law: ma flatMap f flatMap g = ma flatMap (a => f(a) flatMap g)
assert( ((f(a) >>= g) >>= h) = (f(a) >>= (x => g(x) >>= h)))
assert( ((3.some >>= g) >>= h) = (3.some >>= (x => g(x) >>= h)))
assert( ((none >>= g) >>= h) = (none >>= ((x:Int) => g(x) >>= h)))
```



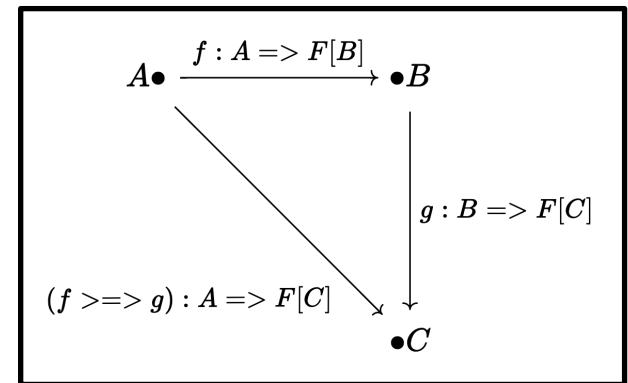
And here are the **monad laws** expressed in terms of **Kleisli composition** (the **fish operator**).

```
// left identity law: pure >=> f = f
assert( (pure[String] >=> f)(a) = f(a) )

// right identity law: f >=> pure = f
assert( (f >=> pure)(a) = f(a))

// associativity law : f >=> (g >=> h) = (f >=> g) >=> h
assert( (f >=> (g >=> h))(a) = ((f >=> g) >=> h)(a) )
```

```
extension[A,B](oa: Option[A])
def >>= (f: A => Option[B]): Option[B] =
  oa flatMap f
```



```
extension[A,B,C](f: A => Option[B])
def >=> (g: B => Option[C]): A => Option[C] =
  a => f(a) >>= g
```



If you are new to functor laws and/or monad laws you might want to take a look at some of the following

<https://www2.slideshare.net/pjschwarz/functor-laws>

Functor Laws

C1 and C2 are categories and \circ denotes their composition operations. For every category object X there is an identity arrow $id_X: X \rightarrow X$ such that for every category arrow $f: A \rightarrow B$ we have $id_B \circ f = f = f \circ id_A$.

There is a functor F from C1 to C2 (a category homomorphism) which maps each C1 object to a C2 object and maps each C1 arrow to a C2 arrow in such a way that the following two functor laws are satisfied (i.e. in such a way that composition and identity are preserved):

- $F(g \circ f) = F(g) \circ F(f)$ - mapping the composition of two arrows is the same as composing the mapping of the 1st arrow and the mapping of 2nd arrow
- $F(id_X) = id_{F(X)}$ - the mapping of an object's identity is the same as the identity of the object's mapping

$F(A) = L$
 $F(B) = M$
 $F(C) = N$
 $F(D) = P$
 $F(f) = u$
 $F(g) = v$
 $F(h) = w$

<https://www2.slideshare.net/pjschwarz/monad-laws-must-be-checked-107011209>

Scala

Kleisli Composition (Fish operator) \gg compose
 Bind $\gg>$ flatMap
 Lifts a to m a (lifts A to F[A]) return

Haskell

Let's start by reminding ourselves of a few aspects of Monads and Kleisli composition.

Philip Schwarz @philip_schwarz

Defining a Monad in terms of Kleisli composition and Kleisli identity function

Kleisli composition + unit

```

trait Monad[F[_]] {
  def compose[A,B,C](f: A => F[B], g: B => F[C]): A => F[C]
  def unit[A](a: => A): F[A]
}

```

Kleisli composition + return

```

class Monad m where
  (>>): (a -> m b) -> (b -> m c) -> (a -> m c)
  return :: a -> m a

```

Defining Kleisli composition in terms of flatMap (bind)

```

def compose[A,B,C](f: A => F[B], g: B => F[C]): A => F[C]
a => flatMap(f(a))(g)

```

$(\gg) :: (a \rightarrow m b) \rightarrow (b \rightarrow m c) \rightarrow (a \rightarrow m c)$
 $(\gg) = \lambda a \rightarrow (f a) \gg g$

Defining a Monad in terms of flatmap (bind) and unit (return)

```

flatMap + unit
trait Monad[F[_]] {
  def flatMap[A,B](ma: F[A])(f: A => F[B]): F[B]
  def unit[A](a: => A): F[A]
}

```

// can then implement Kleisli composition using flatMap

```

def compose[A,B,C](f: A => F[B], g: B => F[C]): A => F[C] =
  a => flatMap(f(a))(g)

```

bind + return (Kleisli composition can then be implemented with bind)

```

class Monad m where
  (>>): m a -> (a -> m b) -> m b
  return :: a -> m a

```

-- can then implement Kleisli composition using bind

```

(>>) :: (a -> m b) -> (b -> m c) -> (a -> m c)
(>>) = \a -> (f a) >> g

```

<https://www2.slideshare.net/pjschwarz/rob-norrisfunctionalprogrammingwitheffects>

Six Effects

Rob Norris @tpolecat

- All compute an "answer" but also encapsulate something extra about the computation.
- This is what we call an effect. But it's very vague. Can we be more precise about what they have in common?

What do they have in common?

But they don't compose!

That's our problem. So what can we do?
 What would it take to make them compose?

All have shape F[A]

```

type F[A] = Option[A]
type F[A] = Either[E, A] // for any type E
type F[A] = List[A]
type F[A] = Reader[E, A] // for any type E
type F[A] = Writer[W, A] // for any type W
type F[A] = State[S, A] // for any type S

```

An effect is whatever distinguishes $F[A]$ from A .

All have shape F[A]

Because effectful value takes too long to say, we sometimes call them programs

The Effect

$F[A]$

"This is a program in F that computes a value of type A ."

We can implement **compose**, the **fish** operator using **flatMap**, so the **fish** operator is something we can derive later really, the operation we need is **flatMap**.

Here is our function diagram for pure function composition. And if we sort of replace things with **effectful** functions, they look like this, so we have something like **andThen**, looks something like a **fish**, and every type has an id, we are calling it **pure**. If we were able to define this and make it compose then we would get that power that we were talking about. So how do we write this in Scala?

What would it take?

What would it take?

The Operations

```

// A typeclass that describes type constructors that allow composition with ==>
trait Fishy[F[_]] {
  // Our identity, A ==> F[A] for any type A
  def pure[A](a: A): F[A]
  // The operation we need if we want to define ==>
  def flatMap[A, B](fa: F[A])(f: A => F[B]): F[B]
}

```

The Operations

```

// Now we can define ==> as an infix operator using a syntax class
implicit class FishyFunctionOps[F[_], A, B](fa: A => F[B]) {
  def ==>(g: B => F[C])(implicit ev: Fishy[F]): A => F[C] =
    a => ev.flatMap(fa)(g)
}

```



That's all. I hope you found it useful.

 @philip_schwarz