

Functional Effects

Part 2

learn about **functional effects** through the work of



John A De Goes

 @jdegoes

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 slideshare <https://www.slideshare.net/pjschwarz>



 @philip_schwarz

In this slide deck we go through the following two sections of **One Monad to Rule Them All**, a great talk by **John A De Goes**:

- Intro to **Functional Effects**
- Tour of the **Effect Zoo**



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<https://www.slideshare.net/jdegoes/one-monad-to-rule-them-all>



<https://youtu.be/POUEz8XHMhE>

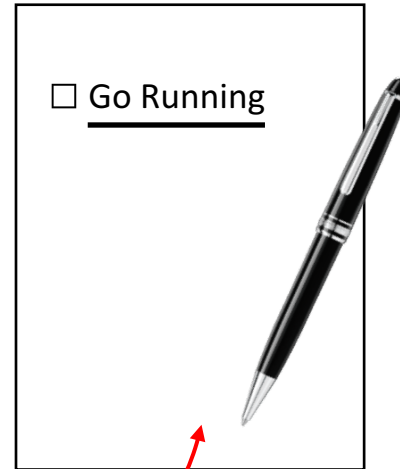


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Every **effect** can be thought of as **doing something**.

If we want to **turn that into a value**, then **instead of doing something**, we turn that into a **description** of **doing something**.



So **instead of going running**, we'll turn that into a **piece of paper that says go running on it**.

Only, in **Scala** we don't actually write on a **piece of paper**, we end up **building a data structure that describes the act of going running**.



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I'll give you a **very simple example** here of **a little program that has effects in it.**

```
def monitor: Boolean = {  
  if (sensor.tripped) {  
    securityCompany.call()  
    true  
  } else false  
}
```

It is actually **doing stuff** and this is **not a value** right now. This is a **side effecting procedure**. It's a method called **monitor** and what it does is it checks to see if a sensor is tripped and if it is tripped it calls the security company returning true, otherwise if the sensor is not tripped it returns false.

Now this is **a piece of side effecting code**. The simplest possible way for us to **transform this into a value** is to build a **mini language**.

We will build a **data structure**, that's that **sheet of paper**, that will allow us to **describe** these operations.



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You can do that more or less by rote. In this case I am going to call this data structure an **alarm**, and this **alarm** is going to be a **sealed trait**, so it's going to be an **enumeration**, a **sum type**, and it is going to have **three different instructions** in it

```
sealed trait Alarm[+A]
case class Return[A](v : A) extends Alarm[A]
case class CheckTripped[A](f : Boolean => Alarm[A]) extends Alarm[A]
case class Call[A](next: Alarm[A]) extends Alarm[A]
```

It is going to have a **Return instruction**, which **returns a value**, it is going to have a **CheckTripped instruction** which allows us to look and see if the sensor has been tripped and to choose to **return different Alarms** in the case that it is tripped or not tripped, and finally it is going to have a **Call instruction** that allows us to describe the act of calling the security company, **as well as whatever we want to do after** calling the security company.



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Now, using this extraordinarily simple, [immutable data structure](#), we can create a [model of the side effecting program](#) that you saw before. And it is quite simple, the type of our [value](#) will be `Alarm` of `Boolean`, this is an ordinary, [immutable value](#). And what we do is we use the `CheckTripped` operation as the first **operation** in our program. And we pass it a function that will be passed a `Boolean` value, whether or not the sensor was tripped, and if it was tripped we are going to `Return` another `Alarm`, value, which is going to call the security company and then `Return true`, and if the sensor is not tripped we are just going to immediately `Return false`.

```
val check: Alarm[Boolean] =  
  CheckTripped( tripped =>  
    if (tripped)  
      Call(Return(true))  
    else  
      Return(false)  
  )
```

```
sealed trait Alarm[+A]  
case class Return[A](v : A) extends Alarm[A]  
case class CheckTripped[A](f : Boolean => Alarm[A]) extends Alarm[A]  
case class Call[A](next: Alarm[A]) extends Alarm[A]
```

We have created a [declarative description](#) of the preceding [side effecting program](#). There are **no side effects** here, everything is a [data structure](#) and in fact it is an [immutable data structure](#).

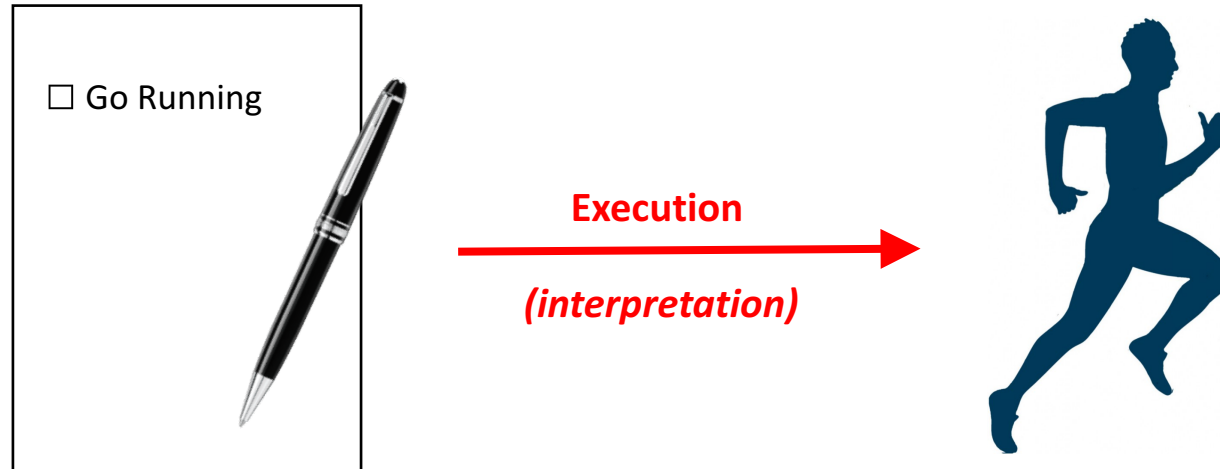
Now, this [value](#) is useful as an intermediate form in our program, because now we can store it in data structures, we can accept it in our functions, we can return it from our functions, we can build combinators that act on values of this type, however, it is not actually going to interact with the real world.



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To interact with the real world, we need to interpret this data structure into the side effects that it represents. And this is called execution, or interpretation.



To do this in the case of the Alarm data structure, we simply match against the three different cases, and if it is Return, we return that value, if it is CheckTripped, we do what we did before, we check if the sensor is tripped, we feed that result into f, and then we interpret the result of calling that. And then finally, for Call(next) we call the security company and then we interpret the remainder of the program.

```
def interpret[A](alarm: Alarm[A]): A = alarm match {  
  case Return(v) => v  
  case CheckTripped(f) => interpret(f(sensor.tripped))  
  case Call(next) => securityCompany.call(); interpret(next)  
}
```



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```
def interpret[A](alarm: Alarm[A]): A = alarm match {  
  case Return(v) => v  
  case CheckTripped(f) => interpret(f(sensor.tripped))  
  case Call(next) => securityCompany.call(); interpret(next)  
}
```

This interpret function is not a pure function, it takes this immutable data structure and it interprets it into the side effects that it describes, allowing us to regain the sort of real world practicality of the preceding program, without sacrificing the fact that now we can use this data structure in most places in our program.

So this is a typical example of what a functional effect is, but in general:

"A **functional effect** is an **immutable data type** equipped with a set of core **operations** that together provide a complete, type-safe model of a **domain concern**."

— John A. De Goes

Every single functional effect out there satisfies that definition. They look quite different. Not all of them look like **Alarm**. I specifically chose **Alarm** because you have never seen anything like it before and probably never will again. It is not very realistic but it is an example of a functional effect, because we had our data type, it was immutable, it had three different **operations** in it and together we were able to create a complete model of the preceding side-effecting code.



quick recap

1

a piece of **side effecting** code

```
def monitor: Boolean = {
  if (sensor.tripped) {
    securityCompany.call()
    true
  } else false
}
```

4

immutable data structure that can be used to create a **model** of the **side effecting** code

2

```
sealed trait Alarm[+A]
case class Return[A](v : A) extends Alarm[A]
case class CheckTripped[A](f : Boolean => Alarm[A]) extends Alarm[A]
case class Call[A](next: Alarm[A]) extends Alarm[A]
```

immutable data structure (no **side effects** here) that is a **declarative description** of the **side effecting** code

```
val check: Alarm[Boolean] =
  CheckTripped( tripped =>
    if (tripped)
      Call(Return(true))
    else
      Return(false)
  )
```

3

impure function that takes the **immutable data structure** and **interprets** it into the **side effects** that it describes

```
def interpret[A](alarm: Alarm[A]): A = alarm match {
  case Return(v) => v
  case CheckTripped(f) => interpret(f(sensor.tripped))
  case Call(next) => securityCompany.call(); interpret(next)
}
```

```
sealed trait Alarm[+A]
case class Return[A](v : A) extends Alarm[A]
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case class Call[A](next: Alarm[A]) extends Alarm[A]
```

```
def interpret[A](alarm: Alarm[A]): A = alarm match {
  case Return(v) => v
  case CheckTripped(f) => interpret(f(sensor.tripped))
  case Call(next) => securityCompany.call(); interpret(next)
}
```

`sensor.tripped = true`

```
interpret(
  CheckTripped( tripped =>
    if (tripped)
      Call(Return(true))
    else
      Return(false)
  )
)
```

Let's have a go at using the `interpret` function:

- once when the sensor is **tripped**
- once when the sensor is **not tripped**



[@philip_schwarz](#)

`sensor.tripped = false`

```
interpret(
  CheckTripped( tripped =>
    if (tripped)
      Call(Return(true))
    else
      Return(false)
  )
)
```

```
interpret(
  if (true)
    Call(Return(true))
  else
    Return(false)
)
```

```
interpret(
  if (false)
    Call(Return(true))
  else
    Return(false)
)
```

```
interpret(
  Call(Return(true))
)
```

```
interpret(
  Return(false)
)
```

`securityCompany.call(); interpret(next)`

`false`

`securityCompany.call(); interpret(Return(true))`

`interpret(Return(true))`

`true`



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For every **concern** out there, there already exists, or you can create, a **functional effect** to describe that domain, and I'll give you some common examples:

Concern	Effect	Execution
Optionality	<code>Option[A]</code>	<code>null</code> or <code>A</code>
Disjunction	<code>Either[A, B]</code>	<code>A</code> or <code>B</code>
Nondeterminism	<code>List[A]</code>	<code>Option[A]</code>
Input/Output	<code>IO[A]</code>	<code>throw</code> or <code>A</code>

If your **concern** is **optionality**, that is you want to compute and sometimes you are going to try and compute something but it is not going to be there, then you can use the effect called **Option**, which is built into **Scala**. It's a **functional effect**. It's an **immutable data type** and it has a set of **instructions, operations**, that allow us to build up programs that use **the feature of that functional effect**, which is **optionality**. And like all **functional effects**, we **execute** it, and at the end of the day, when we **execute** it, we get back either nothing, if it wasn't there, or we get back the `A` that was in the **Option**.

Disjunction, is another **concern**. So in some class of computation, we'll either produce one type of result or a different type of result entirely. An example would be **errorful computation**, so computation that can fail with some specific error. That's an example of **the effect of disjunction**, right? We are either going to **fail** with something on the **left** or we are going to **succeed** with something on the **right**. And this **functional effect** is also built into **Scala** using the **Either** data type. And when we **execute** it we either get back a **Left** of an `A` or we get back a **Right** of a `B`.



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Concern	Effect	Execution
Optionality	<code>Option[A]</code>	<code>null</code> or <code>A</code>
Disjunction	<code>Either[A, B]</code>	<code>A</code> or <code>B</code>
Nondeterminism	<code>List[A]</code>	<code>Option[A]</code>
Input/Output	<code>IO[A]</code>	<code>throw</code> or <code>A</code>

Nondeterminism, less frequently used, is to do, for example, search, to solve problems in search, where we are looking for a solution satisfying a particular requirements, there is the `List` data type, of course we use the `List` data type just for ordinary storing of data, but **we can also use it as a functional effect, a functional effect** that allows us to explore possible solutions to a given problem and to filter those by one satisfying a given set of conditions. And when we **execute** or **interpret** that **effect**, we'll either get back a solution, or maybe our top ranked solution, or no solution at all, if no solutions were found, which corresponds to calling `headOption` on a `List`.

And then also another example of a **functional effect** not baked into **Scala** but also extremely important is the **effect** of **Input/Output**. So, when our programs interact with the external world, that **functional effect** is described by **IO-like** data types. So **Cats IO**, **Monix Task**, **ZIO's ZIO** data type and so on, **Scalaz 7's Task** type, **all these allow us to describe input/output effects, effects between our program and the external surrounding environment**. And when we **execute** them, **which is not a functional operation**, we either get back some **exception**, some code failed, or we get back the **A value** that they succeeded with.

Optionality

(the Painful Way)

A functional effect for optionality



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So I am going to give you an example of, a single fully worked **example of a functional effect**, and this is **the effect of optionality**, but it's **in a way you have never seen before**.

You know what the **Option** data type looks like in **Scala**. It has either **Some** or **None**, right? **It is a simplification of the real deal that we are going to look at now**.

The real deal is **a full model of the functional effect of optionality**. I'll talk about the relationship with **Option** at the end.

So I'll call this data type **Maybe**. This is going to be a **functional effect** for **optionality**, so if we are **concerned** with **things that may or may not be there**, this is the **functional effect** that we want to use.

A **Maybe[A]** can **succeed** with values of type **A**. However it can also **fail** to produce any value of type **A**.

Maybe [A]



succeeds with values of type A

A **functional effect**
for **optionality**



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We are going to need four different **operations** to completely describe this **functional effect**:

Operation	Signature
Present	$A \Rightarrow \text{Maybe}[A]$
Absent	$\text{Maybe}[\text{Nothing}]$
Map	$(\text{Maybe}[A], A \Rightarrow B) \Rightarrow \text{Maybe}[B],$
Chain	$(\text{Maybe}[A], A \Rightarrow \text{Maybe}[B]) \Rightarrow \text{Maybe}[B],$

One **operation**, which I'll call **Present**, allows us to **take an A and stick it inside a Maybe of A**. This is when we have something and we want to stick it inside the **functional effect** to represent the fact that it's there.

Absent on the other hand is when we don't have anything but we need to create a **Maybe** that has some type. We are going to use that **operation** when we don't have it and we want to indicate that. We want to indicate that we don't have a value of that type, so we use the **Absent operation**.

The **Map operation** is when we have a **Maybe** of **A** and we also want to **map** that **A** into a **B** by supplying a function, so the pair of a **Maybe** of **A** and a function from **A** to **B**, you provide the **Map operation** those two things, and you get back a **Maybe** of **B**.

And then finally the **Chain operation** will be used when we have a **Maybe** of **A** and then based on that **A** we want to produce a **Maybe** of **B**, for some type **B**, and we want to combine both the **Maybe** of **A** together with that callback, into a single **Maybe** of **B**.

A **functional effect**
for **optionality**



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In order to implement this **functional effect**, all we have to do is define a **sealed trait** with the four **operations** we know we need:

```
sealed trait Maybe[+A]
case class Present[A](value: A) extends Maybe[A]
case object Absent extends Maybe[Nothing]
case class Map[A, B](maybe: Maybe[A], mapper: A => B) extends Maybe[B]
case class Chain[A, B](first: Maybe[A], callback: A => Maybe[B]) extends Maybe[B]
```

- The **Present operation** simply stores the **A**.
- The **Absent operation** doesn't store anything.
- The **Map operation** stores the **Maybe** and the mapper function.
- And then the **Chain operation** stores the **Maybe** and then the callback.

Once we have defined these four **operations**, we can then define **map** and **flatMap** on the **Maybe** data type:

```
sealed trait Maybe[+A] { self =>
  def map[B](f: A => B): Maybe[B] = Map(self, f)
  def flatMap[B](f: A => Maybe[B]): Maybe[B] = Chain(self, f)
  ...
}
```

Furthermore, we can define **Present** and **Absent** on the maybe companion object:

```
object Maybe {
  def present[A](value: A): Maybe[A] = Present(value)
  val absent: Maybe[Nothing] = Absent
}
```

A **functional effect**
for **optionality**



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We now have everything necessary to define an **interpreter** for the **effect** of **optionality**. This **interpreter** matches the **Maybe** data type, and it has to handle each of the four cases.

```
def interpret[Z, A](ifAbsent: Z, f: A => Z)(maybe: Maybe[A]): Z =  
  maybe match {  
    case Present(a) => f(a)  
    case Absent => ifAbsent  
    case Map(old, f0) => interpret(ifAbsent, f.compose(f0))(old)  
    case Chain(old, f) => interpret(ifAbsent, a => interpret(ifAbsent, f)(f(a)))(old)  
  }
```



This function doesn't compile as it stands, but the problem is easily resolved (see next two slides).

This function is going to **interpret** it (the **Maybe[A]**) to some type **Z** and the user who is **interpreting** this data type, has to supply **some function or some value** called **ifAbsent**, which **will be returned in the event that the computation fails to produce a value of type A**. And also they have to supply **another function**, which I am calling **f** here, it could be called **ifPresent**, which **will be called if the computation succeeds to produce an A**. And in the end the **interpreter** is going to return a **Z**...



In the **interpret** function above, the names of the fields of **Map** and **Chain** differ from their corresponding names in the **Maybe** trait (defined in the previous slide), and this may be confusing, so here is the trait again, just for reference.

```
sealed trait Maybe[+A]  
case class Present[A](value: A) extends Maybe[A]  
case object Absent extends Maybe[Nothing]  
case class Map[A, B](maybe: Maybe[A], mapper: A => B) extends Maybe[B]  
case class Chain[A, B](first: Maybe[A], callback: A => Maybe[B]) extends Maybe[B]
```




Here are the errors I got when I tried to compile the **interpret** function.
See next slide for how I addressed them.

```
def interpret[Z, A](ifAbsent: Z, f: A => Z)(maybe: Maybe[A]): Z =  
  maybe match {  
    case Present(a) => f(a)  
    case Absent => ifAbsent  
    case Map(old, f0) =>  
      interpret(ifAbsent, f.compose(f0))(old)  
    case Chain(old, f) =>  
      interpret(ifAbsent, a => interpret(ifAbsent, f)(f(a)))(old)  
  }
```

Type mismatch, expected: Maybe[Nothing], actual: Maybe[A]





Here on the left is John's original **interpret** function, and on the right you can see the changes that I made to get it to compile and to make it slightly easier for me to understand.

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```
def interpret[Z, A](ifAbsent: Z, f: A => Z)(maybe: Maybe[A]): Z =
  maybe match {
    case Present(a) => f(a)
    case Absent => ifAbsent
    case Map(old, f0) =>
      interpret(ifAbsent, f.compose(f0))(old)
    case Chain(old, f) =>
      interpret(ifAbsent, a => interpret(ifAbsent, f)(f(a)))(old)
  }
```

```
def interpret[Z, A, B](ifAbsent: Z, f: B => Z)(maybe: Maybe[B]): Z =
  maybe match {
    case Present(b) => f(b)
    case Absent => ifAbsent
    case Map(old: Maybe[A], g: (A => B)) =>
      interpret(ifAbsent, f compose g)(old)
    case Chain(old: Maybe[A], g: (A => Maybe[B])) =>
      interpret(ifAbsent, (a:A) => interpret(ifAbsent, f)(g(a)))(old)
  }
```

```
def interpret[Z, A](ifAbsent: Z, f: A => Z)(maybe: Maybe[A]): Z =
  maybe match {
    case Present(a) => f(a)
    case Absent => ifAbsent
    case Map(old, f0) =>
      interpret(ifAbsent, f.compose(f0))(old)
    case Chain(old, f) =>
      interpret(ifAbsent, a => interpret(ifAbsent, f)(f(a)))(old)
  }
```

>> << ⌚

```
def interpret[Z, A, B](ifAbsent: Z, f: B => Z)(maybe: Maybe[B]): Z =
  maybe match {
    case Present(b) => f(b)
    case Absent => ifAbsent
    case Map(old: Maybe[A], g: (A => B)) =>
      interpret(ifAbsent, f compose g)(old)
    case Chain(old: Maybe[A], g: (A => Maybe[B])) =>
      interpret(ifAbsent, (a:A) => interpret(ifAbsent, f)(g(a)))(old)
  }
```

>> <<

>> <<

```
def interpret[Z, A](ifAbsent: Z, f: A => Z)(maybe: Maybe[A]): Z =
  maybe match {
    case Present(a) => f(a)
    case Absent => ifAbsent
    case Map(old, f0) =>
      interpret(ifAbsent, f.compose(f0))(old)
    case Chain(old, f) =>
      interpret(ifAbsent, a => interpret(ifAbsent, f)(f(a)))(old)
  }
```

```
def interpret[Z, A, B](ifAbsent: Z, f: B => Z)(maybe: Maybe[B]): Z =
  maybe match {
    case Present(b) => f(b)
    case Absent => ifAbsent
    case Map(old: Maybe[A], g: (A => B)) =>
      interpret(ifAbsent, f compose g)(old)
    case Chain(old: Maybe[A], g: (A => Maybe[B])) =>
      interpret(ifAbsent, (a:A) => interpret(ifAbsent, f)(g(a)))(old)
  }
```

A functional effect for optionality



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```
def interpret[Z, A, B](ifAbsent: Z, f: B => Z)(maybe: Maybe[B]): Z =
  maybe match {
    case Present(b) => f(b)
    case Absent => ifAbsent
    case Map(old: Maybe[A], g: (A => B)) =>
      interpret(ifAbsent, f compose g)(old)
    case Chain(old: Maybe[A], g: (A => Maybe[B])) =>
      interpret(ifAbsent, (a:A) => interpret(ifAbsent, f)(g(a)))(old)
  }
```



This is the slightly modified version of `interpret` mentioned in the previous slide, so in John's commentary below I have replaced `A` with `B` and got him to mention `g` (which in his version is called `f0`).

...this function is **polymorphic** in `Z`, so it ends up getting a `Z`, either from `ifAbsent`, if there was no `A` inside that `Maybe`, or it gets it from `f` if there was an `A` inside that `Maybe`. It is going to get it from one of those two places and end up returning that `Z`. How it does this is it matches against the `Maybe` data type:

- If the `B` is present it calls `f(b)` to immediately return a `Z`
- If the `B` is absent, then it just returns the `ifAbsent` value, to return the **default**.
- If the case is `Map`, then it **interprets** the thing that is being **mapped** and composes the **mapper function** `g` together with the `f` function and passes along the **ifAbsent default** value
- And then finally in the case of `Chain` it's another relatively straightforward **recursion**, it just passes things along, drills down into the inner data structure and then maps the output by the `f` function.

So you can **follow the types** here if you want to do this, the compiler will help you write this function, you don't have to think about the implications, just try to get the types right and you'll end up with something that is correct.

Here again is the `Maybe` trait, just for reference



```
sealed trait Maybe[+A]
case class Present[A](value: A) extends Maybe[A]
case object Absent extends Maybe[Nothing]
case class Map[A, B](maybe: Maybe[A], mapper: A => B) extends Maybe[B]
case class Chain[A, B](first: Maybe[A], callback: A => Maybe[B]) extends Maybe[B]
```

```
def interpret[Z, A, B](ifAbsent: Z, f: B => Z)(maybe: Maybe[B]): Z =
  maybe match {
    case Present(b) => f(b)
    case Absent => ifAbsent
    case Map(old: Maybe[A], g: (A => B)) =>
      interpret(ifAbsent, f compose g)(old)
    case Chain(old: Maybe[A], g: (A => Maybe[B])) =>
      interpret(ifAbsent, (a:A) => interpret(ifAbsent, f)(g(a)))(old)
  }
```

Again, this is the slightly modified **interpret** function.



A **functional effect** for **optionality**



John A De Goes
@jdegoes

So this **interprets** the four cases and notice how **it is much more complex than the Option type built into Scala**. **Why?**

The **Option type built into Scala** only has two cases. And that's because the **Option type built into Scala** does **just-in-time interpretation** of the instructions **map** and **flatMap**:

```
sealed abstract class Option[+A] extends ... { self =>
  ...
  def get: A
  ...
  @inline final def map[B](f: A => B): Option[B] =
    if (isEmpty) None else Some(f(this.get))
  ...
  @inline final def flatMap[B](f: A => Option[B]): Option[B] =
    if (isEmpty) None else f(this.get)
  ...
}
```

```
object Option {
  ...
  def apply[A](x: A): Option[A] =
    if (x == null) None else Some(x)

  def empty[A] : Option[A] = None
  ...
  final def isEmpty: Boolean = this eq None
  ...
}
```

Rather than building up a full description of the **effect**, what happens is that it takes **shortcuts**. The **map** and **flatMap** on **Option** will look at that data type and if it is **None** for example, it will immediately return **None**. If it is **Some**, it will immediately deconstruct that **Some**, apply your mapper function to it and return a new **Some**.

So in essence, what is happening is **the Option data type in Scala**, even though it is a **functional effect**, it is doing a type of **just-in-time interpretation**, it is taking **shortcuts** and returning you a maximally reduced data structure right away, which is why **it can afford to be a whole lot simpler** than the version I have shown you.

But keep in mind that is a simplification and **in many types of real world functional effects**, you can't make that simplification, you need to store every single instruction that you want to expose to the end user of your API.

```
object Maybe {
  def present[A](value: A): Maybe[A] =
    Present(value)
  val absent: Maybe[Nothing] =
    Absent
}
```

Let's have a go at using **Maybe**



[@philip_schwarz](#)

```
sealed trait Maybe[+A] { self =>
  def map[B](f: A => B): Maybe[B] = Map(self, f)
  def flatMap[B](f: A => Maybe[B]): Maybe[B] = Chain(self, f)
}
case class Present[A](value: A)
case object Absent
case class Map[A, B](maybe: Maybe[A], mapper: A => B)
case class Chain[A, B](first: Maybe[A], callback: A => Maybe[B])
```

```
def interpret[Z, A, B](ifAbsent: Z, f: B => Z)(maybe: Maybe[B]): Z =
  maybe match {
    case Present(b) => f(b)
    case Absent => ifAbsent
    case Map(old: Maybe[A], g: (A => B)) =>
      interpret(ifAbsent, f compose g)(old)
    case Chain(old: Maybe[A], g: (A => Maybe[B])) =>
      interpret(ifAbsent, (a:A) => interpret(ifAbsent, f)(g(a)))(old)
  }
```

```
extends Maybe[A]
extends Maybe[Nothing]
extends Maybe[B]
extends Maybe[B]
```

```
val increment: Int => Int = n => n + 1
val double: Int => Int = n => 2 * n
```

```
def headMaybe: List[Int] => Maybe[Int] =
  as => if (as.isEmpty) Maybe.absent else Maybe.present(as(0))
```

```
// Option.empty[Int].fold(0)(double)
assert( interpret(0, double)(Maybe.absent) == 0)

// Option.empty[Int].map(increment).fold(0)(double)
val noInt: Maybe [Int] = Maybe.absent
assert( interpret(0, double)(noInt.map(increment)) == 0)

// Option.empty[List[Int]].flatMap(_.headOption).fold(0)(double)
val noIntList: Maybe [List[Int]] = Maybe.absent
assert( interpret(0, double)(noIntList.flatMap(headMaybe)) == 0)

// Some(123).fold(0)(double)
assert( interpret(0, double)(Maybe.present(123)) == 246)

// Some(123).map(increment).fold(0)(double)
assert( interpret(0, double)(Maybe.present(123).map(increment)
) == 248)
```

```
// Some(List(1,2,3)).flatMap(_.headOption).fold(0)(double)
assert( interpret(0, double)
  (Maybe.present(List(1,2,3)).flatMap(headMaybe)) == 2)

// Some(List(1,2,3)).flatMap(_.headOption).map(increment).fold(0)(double)
assert( interpret(0, double)(Maybe.present(List(1,2,3))
  flatMap { xs => headMaybe(xs)
    map { y => increment(y) } }
) == 4)

// Some(List(1,2,3)).flatMap(_.headOption).map(increment).fold(0)(double)
assert( interpret(0, double)(
  for {
    xs <- Maybe.present(List(1, 2, 3))
    y <- headMaybe(xs)
  } yield increment(y)
) == 4)
```

```
def monitor: Boolean = {
  if (sensor.tripped) {
    securityCompany.call()
    true
  } else false
}
```

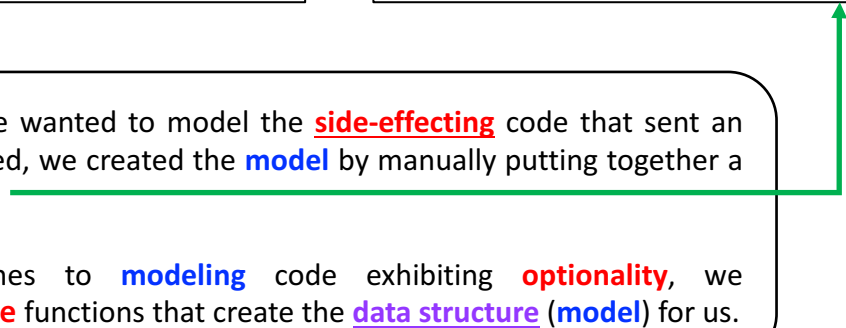
```
val check: Alarm[Boolean] =
  CheckTripped( tripped =>
    if (tripped)
      Call(Return(true))
    else
      Return(false)
  )
```



Note how earlier, when we wanted to model the **side-effecting** code that sent an email if a sensor was tripped, we created the **model** by manually putting together a **data structure** ourselves...
...whereas when it comes to **modeling** code exhibiting **optionality**, we programmatically call **Maybe** functions that create the **data structure (model)** for us.

```
Maybe.present(List(1,2,3)) flatMap { xs =>
  headMaybe(xs) map { y =>
    increment(y)
  }
}
```

```
for {
  xs <- Maybe.present(List(1, 2, 3))
  y <- headMaybe(xs)
} yield increment(y)
```



Every common **operation** in a **functional effect** system has a corresponding **type class** in functional programming. You don't need to know this, but it is helpful to know this, if you have ever used type classes from **Cats** or **Scalaz**, you have run into **Applicative** and **Functor** and **Monad** and **Apply** and **MonadPlus** and lots of other **type classes**. It turns out that **every single type class gives you an operation that you can use in your functional effect**. **More powerful functional effects have more operations**. **And the set of all operations given to you by your functional effect type determines how powerful it is and what types of things you can do with it.**

Operation	Signature	Type Class
pure/point	$A \Rightarrow F[A]$	Applicative
empty/zero	$F[\text{Nothing}]$	MonadPlus
map	$(F[A], A \Rightarrow B) \Rightarrow F[B]$	Functor
flatMap	$(F[A], A \Rightarrow F[B]) \Rightarrow F[B]$	Monad
zip/ap	$(F[A], F[B]) \Rightarrow F[(A,B)]$	Apply

The **pure** or **point** operation from **Applicative** gives you **the ability to take an A and lift it up into your functional effect system**. **It is the equivalent of returning a value inside your functional effect**. It is the **Some** constructor in **Option**. It is the **List** singleton's constructor in **List**. It is the **Future.successful** in **Future**. And so forth.

empty or **zero**, some types have this notion of an **empty** or **failure** type.

Other types have the ability to **map** over them. **All functional effects, almost all, have the ability to map over their contents**, which corresponds to **taking that return statement and changing it into a value of another type**, turning an **Option** of an **Int** into an **Option** of a **String** by converting the **Int** to a **String**.



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Operation	Signature	Type Class
pure/point	$A \Rightarrow F[A]$	Applicative
empty/zero	$F[\text{Nothing}]$	MonadPlus
map	$(F[A], A \Rightarrow B) \Rightarrow F[B]$	Functor
flatMap	$(F[A], A \Rightarrow F[B]) \Rightarrow F[B]$	Monad
zip/ap	$(F[A], F[B]) \Rightarrow F[(A, B)]$	Apply

flatMap is a very powerful capability allowing you to chain two functional effects together in sequence such that the second functional effect depends on the runtime value produced by the first. When you call **flatMap**, you supply the first functional effect and then you also specify a **callback** and that **callback** will be called with the value of the first functional effect, assuming **one is ever produced**. Of course some functional effects, like **Option**, can fail, in which case they'll never call your callback, but also some functional effects like **Future**, for example, can succeed at some point in the future, in which case your callback will be called and you'll get a chance to return the rest of your computation and **the flatMap operation is responsible for fusing those two things together, the old functional effect and its chained successor, into a single functional effect**.

And then finally **zip**, otherwise known as **ap**, is capable of **taking two functional effects, $F[A]$ and $F[B]$ and zipping them together to get an F of a tuple of A and B** . It is not as powerful as **flatMap** but it is still a powerful operation and it is the minimum needed to have **compositional semantics** on your functional effect, you need to **zip two options together, zip two parsers together, zip two futures together, you need the ability to take two different effects and combine them together into a single effect to solve most classes of problems**.

Nearly all functional effects in existence support the **pure/point** operation, the **map** operation and then **zip**. If you don't support **zip**, if you just support **pure** and **map**, it is not that useful, of a functional effect, almost all of your functional effects out there are going to support at least **zip** and some extremely powerful ones support **Monad** which gives you **flatMap**, which allows you to do two operations in sequence such that the second one depends on the runtime value produced by the first one.



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A lot of **functional effects** support **flatMap**, a lot. Parsers, Futures, Options, Lists, all kinds of **functional effects** support this capability. Even the Alarm one that I showed you supports this capability. And that's because a lot of the real world is **sequential**. You do something and then you do something later and the thing that you do later depends on what you did before. Depends on the result of what you did before. That is a **sequential flow**, it is the most complex kind of **sequential flow**, because it is **context sensitive**. You can change your mind and do different things based on what happened before. That's **flatMap**. That's **Monadic**.

As a result, **Scala** actually has a **special syntax** for data types that support **flatMap** and **map** and this is the **for comprehension** syntax, and it reads very procedurally:

```
for {  
  user   <- lookupUser(userId)  
  profile <- user.profile  
  pic    <- profile.picUrl  
} yield pic
```

```
lookupUser(userId).flatMap(user =>  
  user.profile.flatMap(profile =>  
    profile.picUrl.map(pic =>  
      pic)))
```

```
case class User(profile: Option[Profile])  
case class Profile(picUrl: Option[Url])  
case class Url(value: String)  
def lookupUser(userId: Int): Option[User] = ???  
var userId = ???
```

You are going to look up your **user**, and then you are going to get their **profile** and then you are going to get their **picture url**, and you can imagine all these things returning **Option**. And **Scala** will **desugar this into a bunch of flatMaps, followed by a final map, allowing you to use functional effects that support sequentiality in a way whose visual appearance resembles that sequential flow of operations, with the scoping rules that you would expect**, that is to say, inside this **for comprehension** on the left, in the line that says **pic**, I have access to both **profile** and **user**, I have access to both of those variables in that scope. In the line that says **profile** I have access to **user**, and in the **yield** statement I have access to all three variables, which is the way you would expect scoping to work if these were statements.

Tour of the **Effect Zoo**



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So every **functional effect** is an **immutable data type**, together with the **operations** it provides for addressing some business **concern**, and at the end of the day, **every functional effect system, we need to be able to interpret it into something else that gives it meaning**. This **interpretation** is fold on **Option**, it is **unsafeRun on Task**, there is always an **interpretation** function for all of these, it is **run on the State Monad**.

It allows us to **take this model that describes our business concern and translate it into something that we can use**.

Let's take a brief look at some of the **effects** out there in the wild, some of which you have already seen because they are built into **Scala**, but a couple of which may be new for you.

Tour of the **Effect Zoo**

`Option[A]` – the functional effect of **optionality**



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First the effect of **optionality**. **Either something is there or it is not:**

```
sealed trait Option[+A]
final case class Some[+A](value: A) extends Option[A]
case object None extends Option[Nothing]
```

The **core operations** of `Option` are the `Some` and `None` constructors and **map** and **flatMap**.

```
// Core operations:
def some[A](v: A): Option[A] = Some(v)
val none: Option[Nothing] = None
def map[A, B](o: Option[A], f: A => B): Option[B]
def flatMap[A, B](o: Option[A], f: A => Option[B]): Option[B]
```

And then its execution/interpretation is the **fold** function on `Option`:

```
// Execution / Interpretation:
def fold[Z](z: Z)(f: A => Z)(o: Option[A]): Z
```

We specify what to do, what to return if it wasn't there and what to return if it was there.

Tour of the Effect Zoo

`Option[A]` – the functional effect of **optionality**



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And we can use it in **for comprehensions**, like I showed before:

```
for {  
  user    <- lookupUser(userId)  
  profile <- user.profile  
  pic     <- profile.picUrl  
} yield pic
```

Tour of the **Effect Zoo**

Either[A, B] – the functional effect of **failure**



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The functional effect of **failure** is used when we have computations that may fail with a specific type of value. **Either** has two types of value, a left and a right. **Left** is used to indicate failure and **Right** is used to indicate success:

```
sealed trait Either[+E, +A]
final case class Left[+E](value: E) extends Either[E, Nothing]
case class Right[+A](value: A) extends Either[Nothing, A]
```

Its **core operations** are **constructing** a **left** and a **right**, **mapping** and **flatMap**:

```
// Core operations:
def left[E](e: E): Either[E, Nothing] = Left(e)
def right[A](a: A): Either[Nothing, A] = Right(a)
def map[E, A, B](o: Either[E, A], f: A => B): Either[E, B]
def flatMap[E, A, B](o: Either[E, A], f: A => Either[E, B]): Either[E, B]
```

And then to execute or interpret an **Either** we **fold** over it

```
// Execution / Interpretation:
def fold[Z, E, A](left: E => Z, right: A => Z)(e: Either[E, A]): Z
```

specifying what to do on the left hand case and what to do on the right hand case.

Tour of the Effect Zoo

`Either[A,B]` – the functional effect of failure



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And because this supports `map` and `flatMap` we can use it in `for comprehensions`, in which case we are `flatMap` over the success case

```
for {  
  user    <- decodeUser(json1)  
  profile <- decodeProfile(json2)  
  pic     <- decodeImage(profile.encPic)  
} yield (user, profile, pic)
```

So if there is a `Left` case, if one of these methods, like `decodeProfile` returns `Left`, that **short-circuits the entire computation, we achieve the short-circuiting behaviour of exception handling without actually having exceptions in our code.**

Tour of the Effect Zoo

`Writer[W,A]` – the functional effect of logging



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The `Writer` functional effect is less familiar, you may not have seen this before. `Writer` is actually **dual** to `Either`, only in this case I am using a very specialised variant of `Writer` that happens to be the most common. `Writer` is basically a tuple. On the LHS it accumulates a vector of some type `W`, that's your log. So `Writer` allows you to log stuff, like log strings, whatever, and those get accumulated on the LHS of the tuple. And every `Writer` effect can also produce a value of type `A`. So the `Writer` functional effect, it cannot fail, it can only succeed, and it can accumulate a log as you are succeeding with values of different type.

```
final case class Writer[+W, +A](run: (Vector[W], A))
```

The **core operations** of `Writer` are **pure**, which allows you to lift a value into the `Writer` effect, `write`, which allows you to add to that log, and then `map` and `flatMap` like we have seen before. :

```
// Core operations:  
def pure[A](a: A): Writer[Nothing, A] = Writer((Vector(), a))  
def write[W](w: W): Writer[W, Unit] = Writer((Vector(w), ()))  
def map[W, A, B](o: Writer[W, A], f: A => B): Writer[W, B]  
def flatMap[W, A, B](o: Writer[W, A], f: A => Writer[W, B]): Writer[W, B]
```

And then how you **run** that, you just pull out the tuple of the `Vector` and then your **success value**:

```
// Execution / Interpretation:  
def run[W, A](writer: Writer[W, A]): (Vector[W], A)
```

That gives you the **log** and then the **value** that the `Writer` data type **succeeded** with.

Tour of the Effect Zoo

`Writer[W,A]` – the functional effect of logging



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Because it has `map` and `flatMap` like the other ones you can use this inside **for comprehensions**

```
for {  
  user <- pure(findUser())  
  _ <- log(s"Got user: $user")  
  _ <- pure(getProfile(user))  
  _ <- log(s"Got profile: $profile")  
} yield user
```

And you can interleave, for example, success values with `log` statements, and you end up accumulating those `log` statements, in this case strings, inside the vector that you get when you **run** that functional effect.



In the above, either `log` should be `write` or `log` is an alias for `write`

Tour of the Effect Zoo

`State[S, A]` – the functional effect of **state**



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`State` is another very common functional effect that **allows you to model stateful computations**. And the `State` functional effect is basically a function. At least this is the short-circuited version. We could do the full on different instruction version that I did for **optionality** but we were only going to do that once. Here **we are taking a shortcut and we are defining it as a function that takes the old state and returns the new state and a value of type A**. So `State` cannot fail. `State` can only change the **state**, when you call **run**, it can change the **state**, and it is always going to succeed with a **value** of type **A**.

```
final case class State[S, +A](run: S => (S, A))
```

The **core operations** of `State` are to take an **A value** and to succeed with that **value** without changing **state**, to get the **state** and to set the **state**, and then of course **map** and **flatMap**, like we have seen with all these functional effects:

```
// Core operations:  
def pure[S, A](a: A): State[S, A] = State[S, A](s => (s, a))  
def get[S]: State[S, S] = State[S, S](s => (s, s))  
def set[S](s: S): State[S, Unit] = State[S, S](_ => (s, ()))  
def map[S, A, B](o: State[S, A], f: A => B): State[S, B]  
def flatMap[S, A, B](o: State[S, A], f: A => State[S, B]): State[S, B]
```

To run a `State` we have to supply the initial **state** as well as the **state** type, and then out of that we get the new **state** and the **success value**:

```
// Execution / Interpretation:  
def run[S, A](s: S, state: State[S, A]): (S, A)
```

Tour of the Effect Zoo

`State[S,A]` – the functional effect of state



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Because this functional effect, like the other ones, supports `map` and `flatMap`, it means that we can use it inside for comprehensions:

```
for {  
  _ <- set(0)  
  v <- get  
  _ <- set(v + 1)  
  v <- get  
} yield v
```

And we can write code that looks like this, like it is actually incrementing stuff. It is **setting** a value to be zero, it is **getting** it, **setting** it to zero plus one, and then it is **getting** it again, and if you actually **run** that functional effect, then you are going to end up with 1 out of that, which is what you would expect, **it looks like procedural code but in fact it is not, it is purely functional and it is operating on immutable data.**

Tour of the Effect Zoo

`Reader[R, A]` – the functional effect of reader



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Another less common type is the Reader effect, and the Reader functional effect allows us to thread access to some environment of type `R` throughout our program without having to do any of that plumbing. And we can access that `R` at any point we want. So it is there, always in the background, it is like a context, it is the environment in which our program runs, and we can pull it out of thin air any time we want, but we don't have to deal with it unless we want to. And it can be defined by a simple function from `R` to `A`:

```
final case class Reader[-R, +A](run: R => A)
```

The core operations are pure, like we have seen before, allowing us to take an `A` and lift it up into an effect, the Reader functional effect, environment, which basically allows us to pull that `R` into the success value of the Reader, and then map and flatMap:

```
// Core operations:  
def pure[A](a: A): Reader[Any, A] = Reader[Any, A](_ => a)  
def environment: Reader[R, R] = Reader[R, R](r => r)  
def map[R, A, B](r: Reader[R, A], f: A => B): Reader[R, B]  
def flatMap[R, A, B](r: Reader[R, A], f: A => Reader[R, B]): Reader[R, B]
```

And then to execute or interpret this functional effect we have to give it an `R`. That's the `R` required by the Reader, and then it can give us back the `A`:

```
// Execution / Interpretation:  
def provide[R, A](r: R, reader: Reader[R, A]): A
```

Tour of the Effect Zoo

`Reader[R,A]` – the functional effect of `reader`



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Because it supports `map` and `flatMap`, we can use this in `for comprehensions`:

```
for {  
  port    <- environment[Config].map(_.port)  
  server  <- environment[Config].map(_.server)  
  retries <- environment[Config].map(_.retries)  
} yield (port, server, retries)
```

In this case I just `pull the config out of the environment` and I separately pull out the `port` and the `server` and the `retries` and I yield a tuple of the results.

Tour of the Effect Zoo

`IO[A]` – the functional effect of asynchronous input/output



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And finally, the last functional effect that we'll look at is the effect of asynchronous input and output, and you can define your own very simple type for **async I/O**, by creating a case class with that **unsafeRun** signature. **The unsafeRun**, you give it a **callback** and it will call it at some point in the future. This is the essence of **asynchronous I/O**:

```
final case class IO[+A](unsafeRun: (Try[A] => Unit) => Unit)
```

And the core operations are **sync** for **synchronous I/O**, **async** for **asynchronous I/O**, **fail**, if you want to fail this thing, and then **map** and **flatMap**:

```
// Core operations:  
def sync[A](v: => A): IO[A] = IO(_(Success(v)))  
def async[A](r: (Try[A] => Unit) => Unit): IO[A] = IO(r)  
def fail(t: Throwable): IO[Nothing] = IO(_(Failure(t)))  
def map[A, B](o: IO[A], f: A => B): IO[B]  
def flatMap[A, B](o: IO[A], f: A => IO[B]): IO[B]
```

And then **unsafeRun**, you have to give it the **IO** which you want to **run** and then you give it a callback and it will call your callback at some point later with either a **success** or a **failure**:

```
// Execution / Interpretation:  
def unsafeRun[A](io: IO[A], k: Try[A] => Unit): Unit
```

Tour of the Effect Zoo



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So what do all these things have in common? They are all **immutable data structures**. Every single one of them.

They are all equipped with **operations** that allow us to **compose** these things together.

Nearly all of them supported, actually all of them, supported **pure** and **map** and **flatMap**, which **allow us to build up and compose sequential things together**, which is very very common when you are dealing with **functional effects**.

And then **all of them, without exception, had some way to interpret or execute them**.

These are the building blocks of functional effects.

Functional effects are always, always, always, **immutable data types** that declaratively describe a bunch of different **operations** in some business domain, that you can end up **interpreting to translate** into something that is **lower level** than that specific concern, like we can **translate away from optionality** by providing a **default value**. You can **translate away from error handling** by unifying the left and right of **Either**, and so on and so forth, **they all allow us to escape that concern and move it into something that's lower level**, which is a key property of building programs compositionally and modularly.



I liked John's talk a lot. I found it very instructive. There is a lot more great content in it. Go take a look, if you haven't already.

 @philip_schwarz



The slide features a dark background with a circular logo at the top center containing the letters 'Z13' in red and orange. Below the logo, the title 'ONE MONAD TO RULE THEM ALL' is written in white, hand-drawn style text. 'ONE' is underlined, and 'ALL' is enclosed in a white rectangular box. Underneath the title, the text 'FUNCTIONAL JVM MEETUP' and 'PRAGUE, AUG 8 2019' is displayed in a clean, white sans-serif font. At the bottom, the speaker's name 'JOHN A. DE GOES - @JDEGOES' is written in a smaller white font.



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<https://www.slideshare.net/jdegoes/one-monad-to-rule-them-all>



<https://youtu.be/POUEz8XHMhE>